

09.05.2023

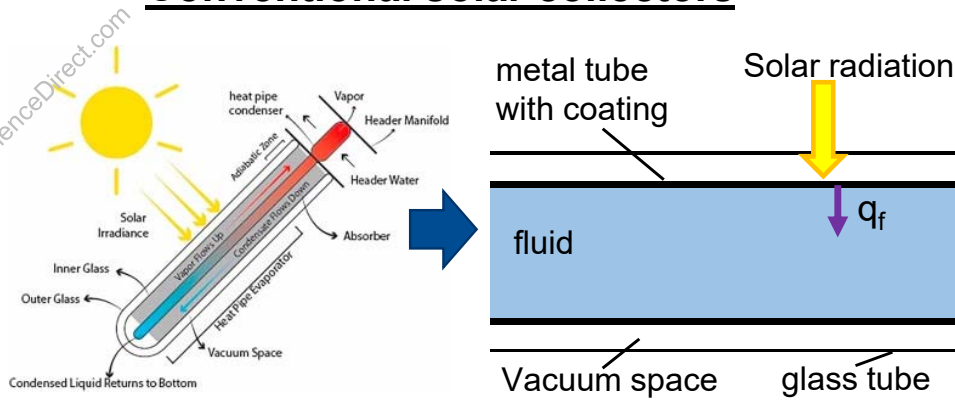
2. Sitzung des Projektbegleitenden Ausschusses

# HELIOS PROJECT: MODELING AND SIMULATION OF NANOMATERIAL-BASED LIQUIDS IN SOLAR THERMAL (NANO- SOLARFLUID) IN OPENFOAM®

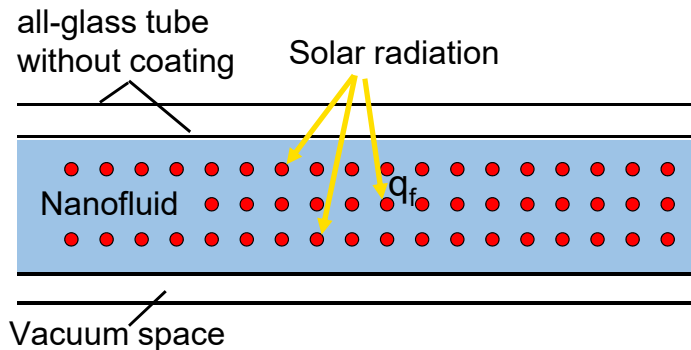
Alpesh Vora

IUTA – Institut für Umwelt & Energie, Technik & Analytik e. V.

## Conventional solar collectors



## Nanofluid solar collectors



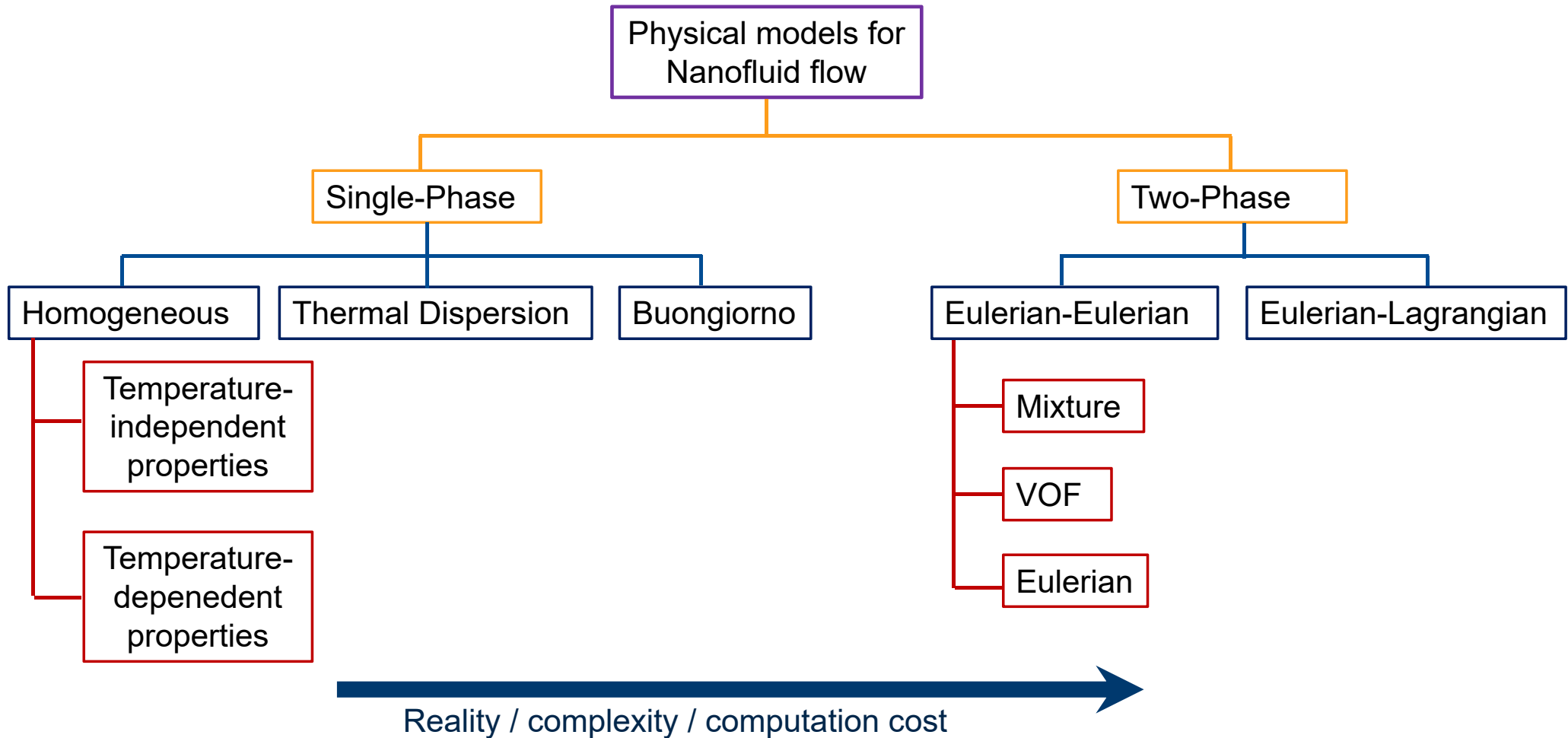
## Background:

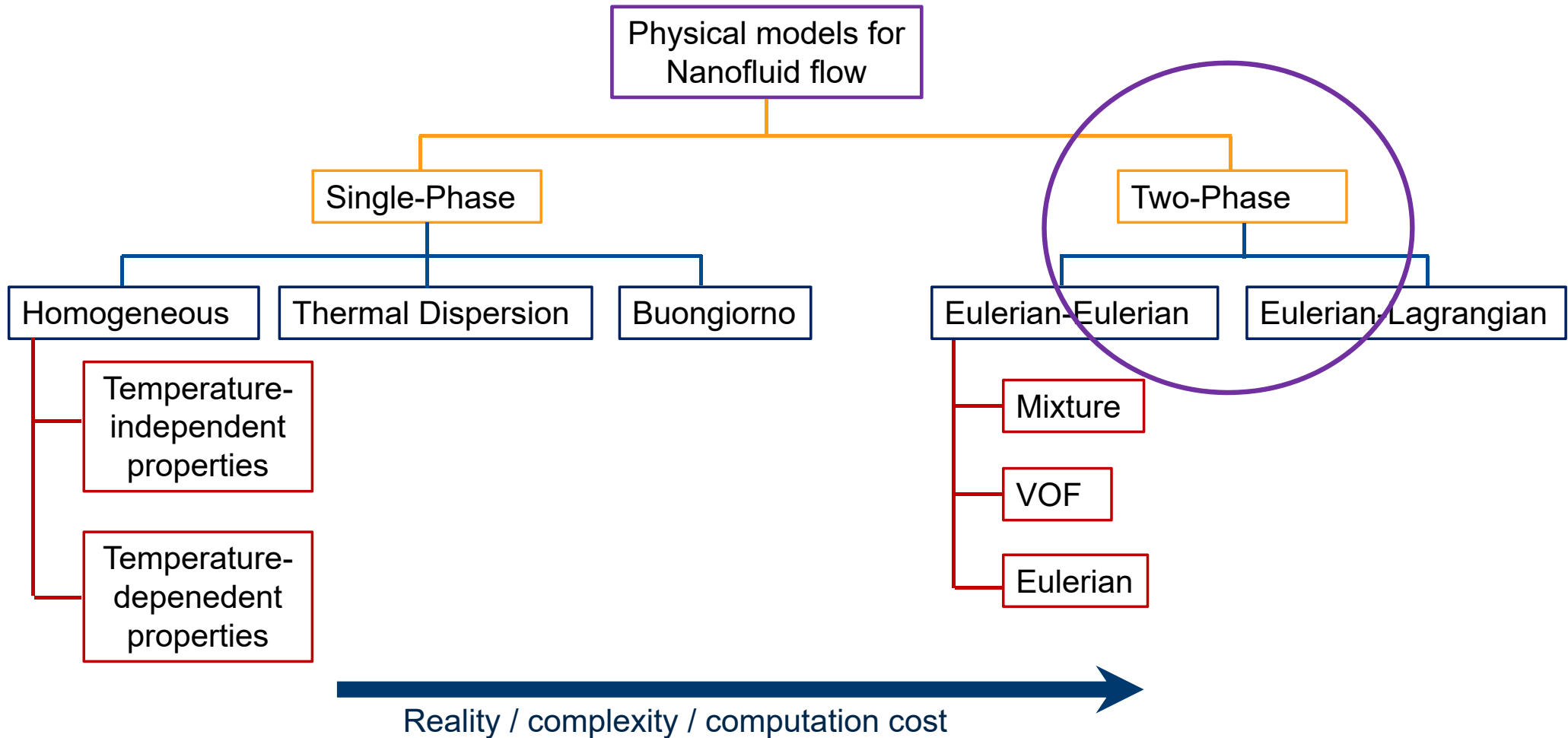
□ Application of Nanofluid due to its mass and heat transfer enhancements:

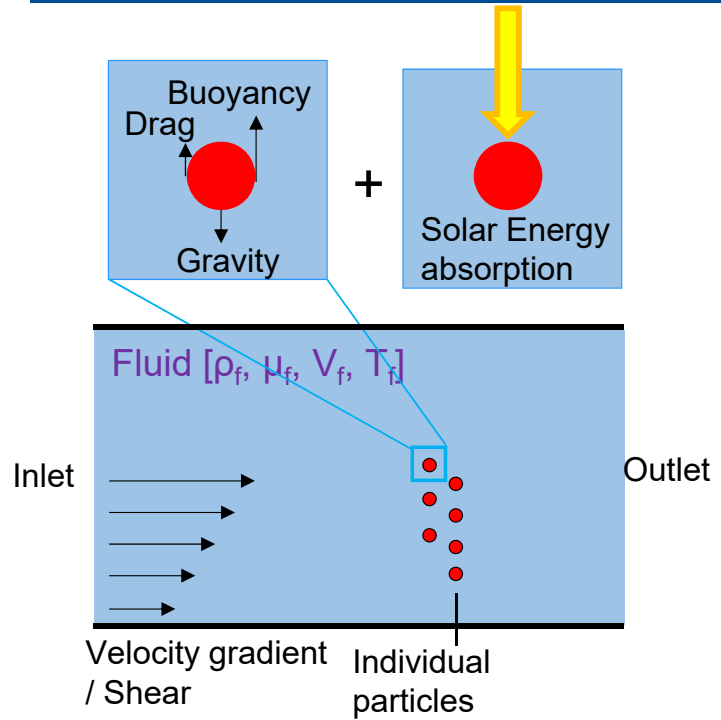
- ❖ Biomedical, Automobile, Aerospace, Microchannel, Optical, Detergency, Military, Solar energy (solar collectors)

## Aim:

- Modelling the **Nano-Solar fluid** in OpenFOAM
- ❖ Investigate the effect of particle concentration on the viscosity of fluid → pumping power
- ❖ Optimization of the dispersion properties of the solar absorber fluids







## Fluid phase (Euler approach)

- Conservation of mass and momentum: →  $\mathbf{U}$  &  $p$  distributions of fluid

$$\underbrace{\nabla \cdot \mathbf{U}_f = 0}_{\text{Mass cons.}} \quad \underbrace{\frac{\partial (\rho_f \mathbf{U}_f)}{\partial t}}_{\text{Temporal}} + \underbrace{\nabla \cdot (\rho_f \mathbf{U}_f \mathbf{U}_f)}_{\text{Advection}} = \underbrace{-\nabla p}_{\text{Pressure force}} + \underbrace{\nabla \cdot (\mu_f \nabla \mathbf{U}_f)}_{\text{Diffu./Turbulence}} + \frac{1}{\delta V} \sum_{np} \mathbf{F}$$

- Conservation of energy: → Temperature distribution of fluid

$$\underbrace{\frac{\partial (\rho_f c_{p,f} T_f)}{\partial t}}_{\text{Temporal}} + \underbrace{\nabla \cdot (\rho_f c_{p,f} \mathbf{U}_f T_f)}_{\text{Advection by fluid velocity}} = \underbrace{\nabla \cdot (k_f \nabla T_f)}_{\text{Diffusion}} + \frac{1}{\delta V} \sum_{np} Nu_p \pi d_p k_f (T_f - T_p)$$

## Particles (Lagrange approach)

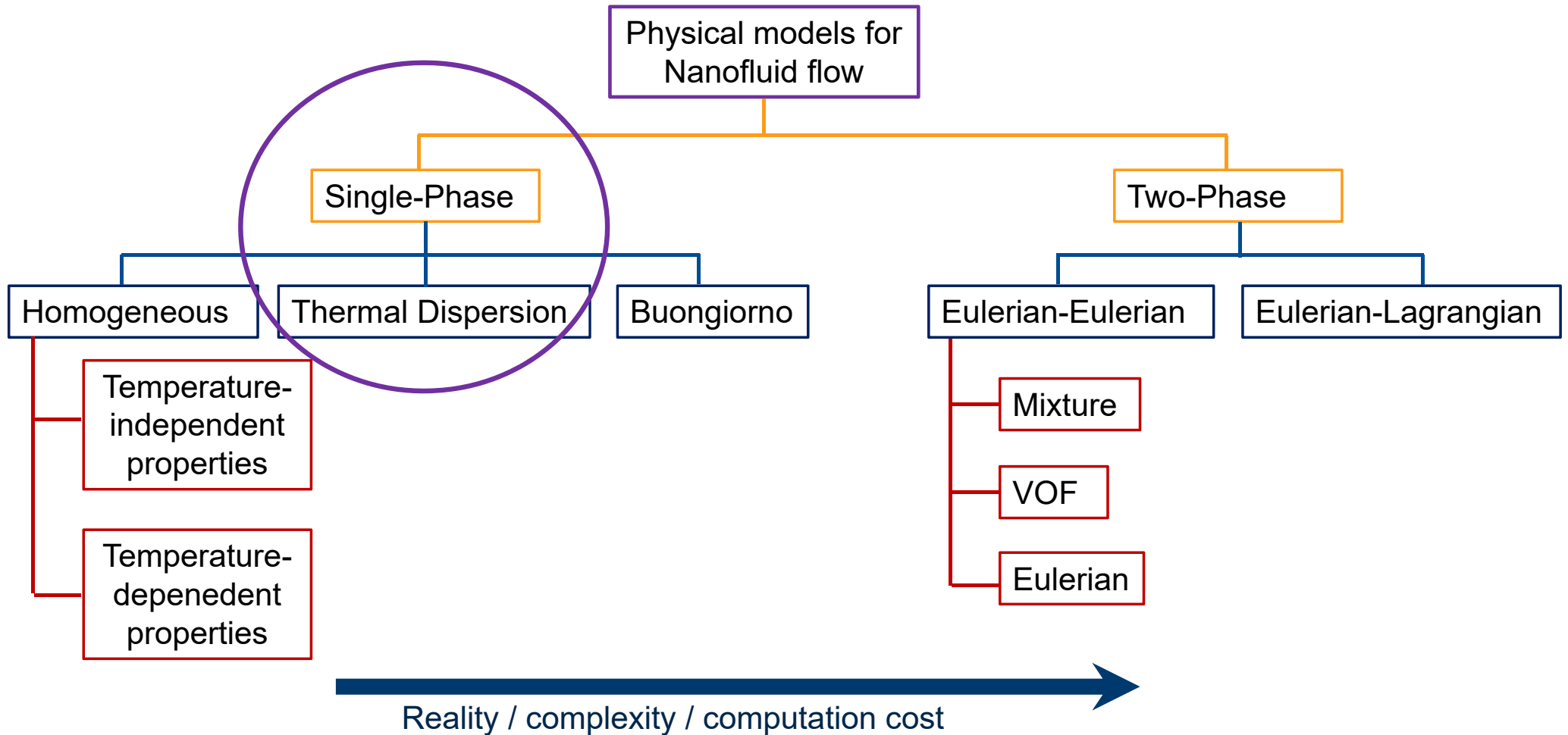
- The particle motion and energy equations: →  $\mathbf{x}$ ,  $\mathbf{U}$ ,  $T$  of particles

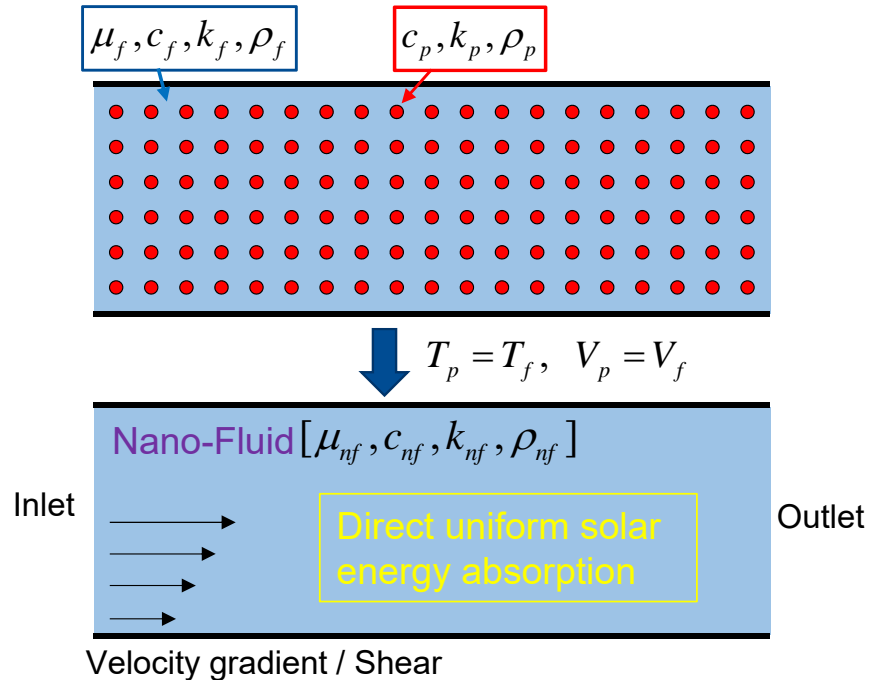
$$m_p \frac{d\mathbf{u}_p}{dt} = \sum \mathbf{F} = \mathbf{F}_g + \mathbf{F}_D + \mathbf{F}_L + \mathbf{F}_{Br} + \mathbf{F}_b$$

$$m_p c_{p,p} \frac{dT_p}{dt} = Nu_p \pi d_p k_f (T_f - T_p) + S_{E,p}$$

## Pro and cons:

- Since it involves more physical phenomena, it provides more reliable results – closer to experiment data.
- Computationally costly – higher CPU and memory requirement - since it computes the trajectories of each particle





## Homogenous model:

### Assumptions:

- Incompressible flow; No slip between particles and fluids
- Ultrafine solid particles and dispersed uniformly
- Both phases are locally in thermal equilibrium
- No chemical reactions; Negligible viscous dissipation

### The pressure, velocity and temperature can be calculated by:

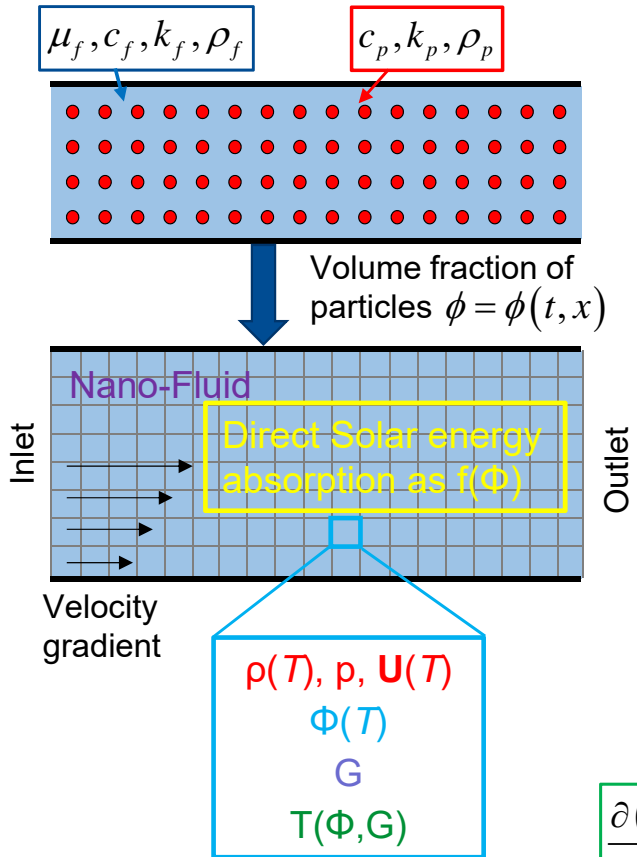
$$\underbrace{\nabla \cdot \mathbf{U} = 0}_{\text{Mass balance}} + \underbrace{\frac{\partial (\rho_{nf} \mathbf{U})}{\partial t}}_{\text{Temporal}} + \underbrace{\nabla \cdot (\rho_{nf} \mathbf{U} \mathbf{U})}_{\text{Advection}} = \underbrace{-\nabla p}_{\text{Pressure Force}} + \underbrace{\nabla \cdot (\mu_{nf} \nabla \mathbf{U})}_{\text{Diffusion}} + \mathbf{F}$$

$$\underbrace{\frac{\partial (\rho_{nf} c_{nf} T)}{\partial t}}_{\text{Temporal}} + \underbrace{\nabla \cdot (\rho_{nf} c_{nf} \mathbf{U} T)}_{\text{Advection by fluid velocity}} = \underbrace{\nabla \cdot (k_{nf} \nabla T)}_{\text{Diffusion}} + S_{E,nf}$$

### Thermophysical properties: constant or temperature dependent

### Note:

- These transport equations do not give any additional information for the natural convection in enclosures problem where the walls have either constant temperature or adiabatic condition.
  - Heat transfer enhancement: the ratio of nanofluid thermophysical properties to base fluid properties
- Require non-homogenous model for nanosolar fluid



## Nano-solarfluid model:

- Non-uniform dispersion → Particle phase as vol. fraction (concentration)
  - Buoyancy effects by Boussinesq approximation for fluid phase
  - Thermophoresis and Brownian diffusion for particle concentration

- The **pressure** and **velocity** can be calculated by:

$$\underbrace{\nabla \cdot \mathbf{U} = 0}_{\text{Mass balance}}$$

$$\underbrace{\frac{\partial(\rho \mathbf{U})}{\partial t}}_{\text{Temporal}} + \underbrace{\rho(\mathbf{U} \cdot \nabla) \mathbf{U}}_{\text{Advection of fluid}} = \underbrace{-\nabla p}_{\text{Pressure Force}} + \underbrace{\nabla \cdot (\mu(\phi) D(\mathbf{U}))}_{\text{Diffusion/Turbulence}} - \underbrace{\rho \beta \mathbf{g}(T - T_0)}_{\text{Buoyancy-Boussinesq}}$$

- The **particle phase fraction** and **radiation intensity** distributions are given by:

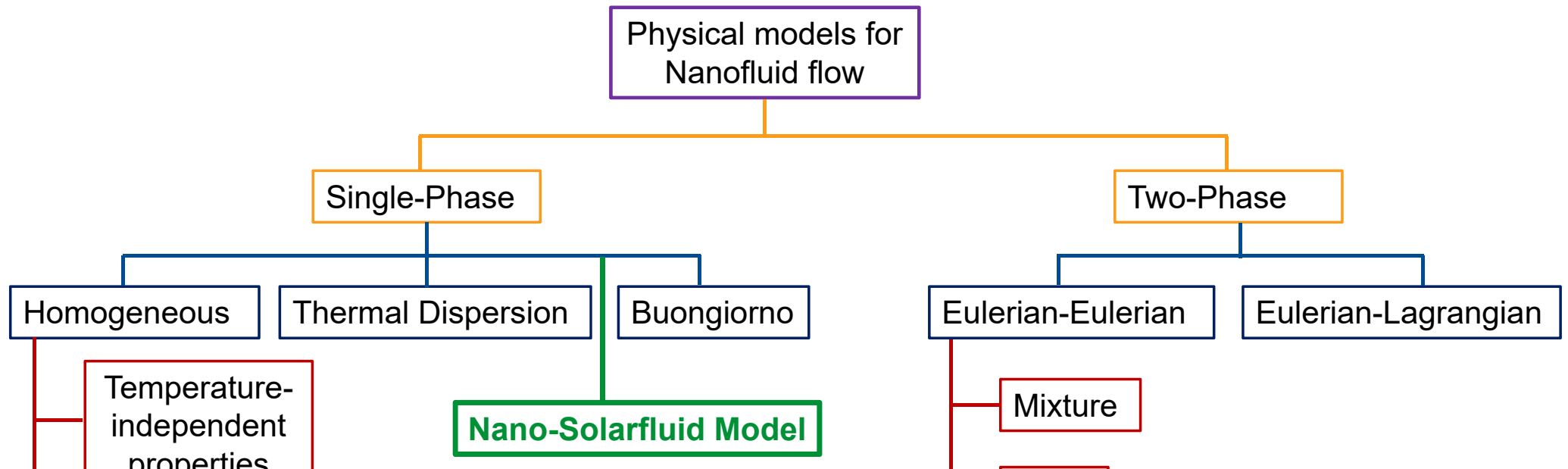
$$\underbrace{\frac{\partial \phi}{\partial t}}_{\text{Temporal}} + \underbrace{\mathbf{U} \cdot \nabla \phi}_{\text{Advection}} = \underbrace{\nabla \cdot \left[ D_B \nabla \phi + D_T \frac{\nabla T}{T_0} \right]}_{\text{Thermophoresis \& Brownian diffu.}}$$

$$\nabla \cdot \left( \frac{1}{3\kappa\phi + \sigma_s(3-C)} \nabla G \right) - \kappa\phi G = -4(e\sigma_{SB}T^4 + E)$$

- The **temperature** distribution is given by:

$$\underbrace{\frac{\partial(\rho c T)}{\partial t}}_{\text{Temporal}} + \underbrace{\nabla \cdot (\rho c \mathbf{U} T)}_{\text{Advection by fluid}} = \underbrace{\nabla \cdot (k_{nf} \nabla T)}_{\text{Thermal diffusion}} + \rho c_p \underbrace{\left[ D_B \nabla \phi \cdot \nabla T + D_T \frac{\nabla T \cdot \nabla T}{T_0} \right]}_{\text{Brownian diffusion and thermophoresis}} + \underbrace{\kappa\phi G - 4(e\sigma_{SB}T^4 + E)}_{\text{Absorbed and emitted irradiation}}$$



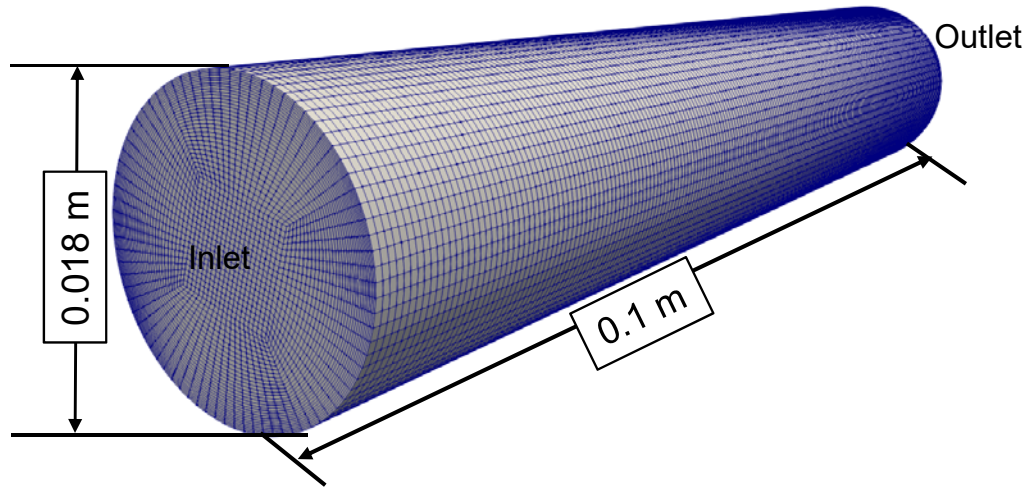


## Advantages:

- ❑ Still computationally cheaper due to single phase approach (particle concentration in Eulerian frame)
- ❑ Simulation for any number of nano-particles with considering both most important slip mechanisms: Brownian diffusion and thermophoresis

Reality / complexity / computation cost →

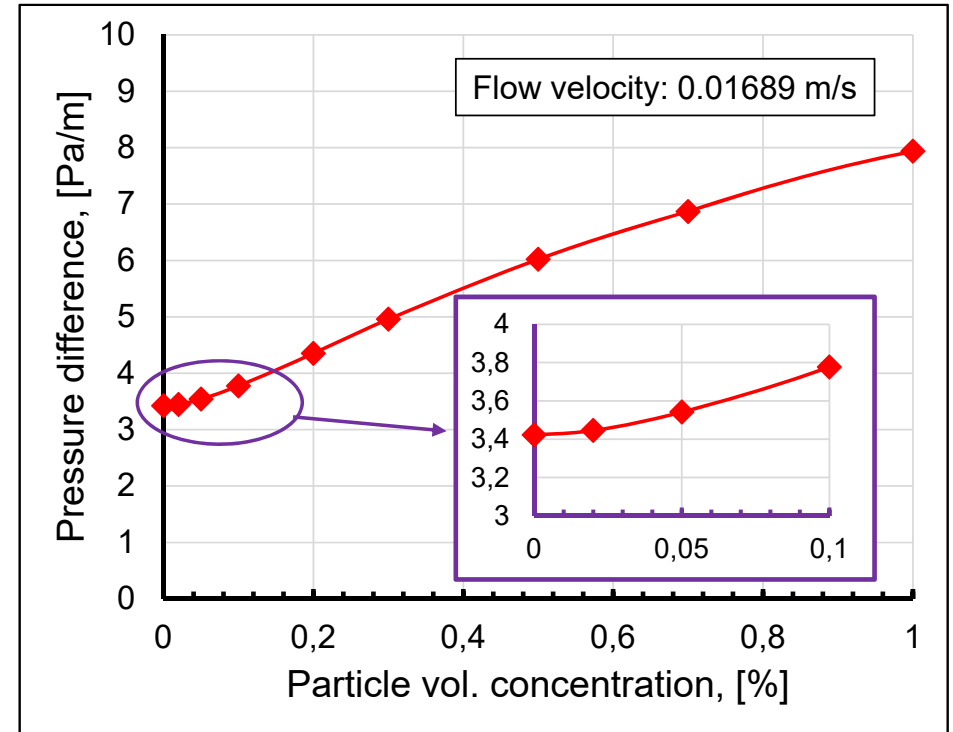
## Computational domain



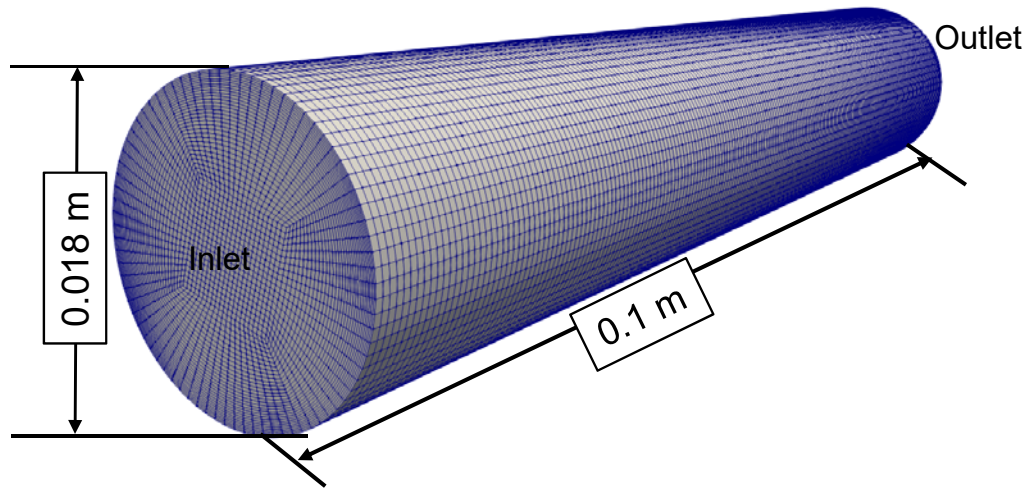
## Conditions and parameters:

- Laminar flow simulation
- Nanofluid
  - ❖ Base fluid: Water ( $1000 \text{ kg/m}^3$ )
  - ❖ 100 nm particles ( $2200 \text{ kg/m}^3$ )
- No solar radiation  $\rightarrow$  constant temperature

## Effect of particle concentration on the pressure drop due to the change in viscosity



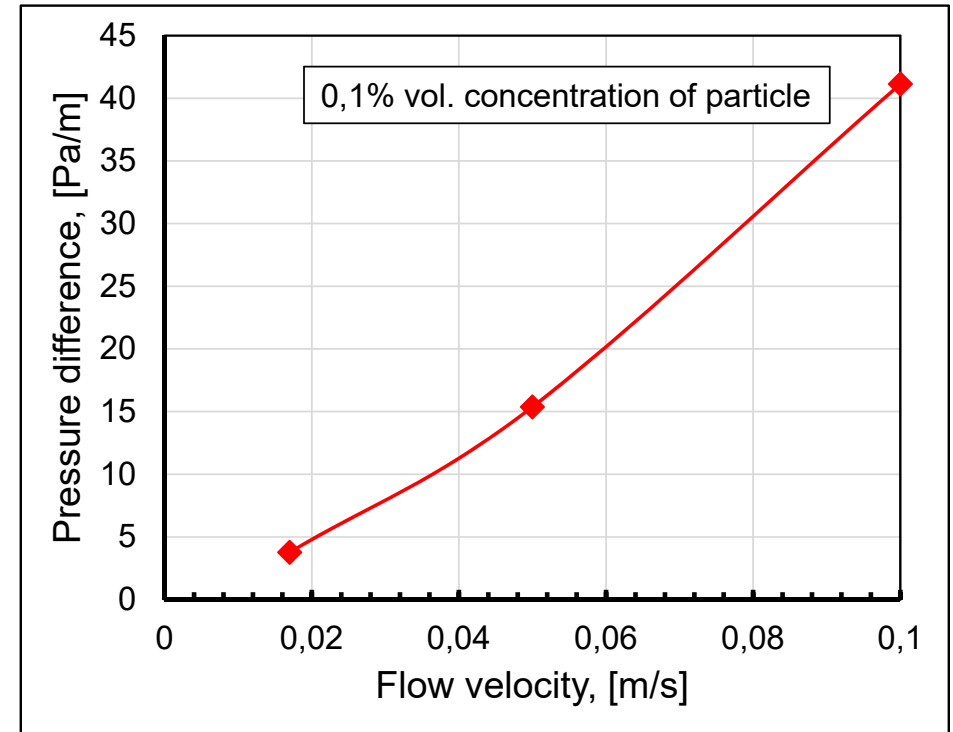
## Computational domain



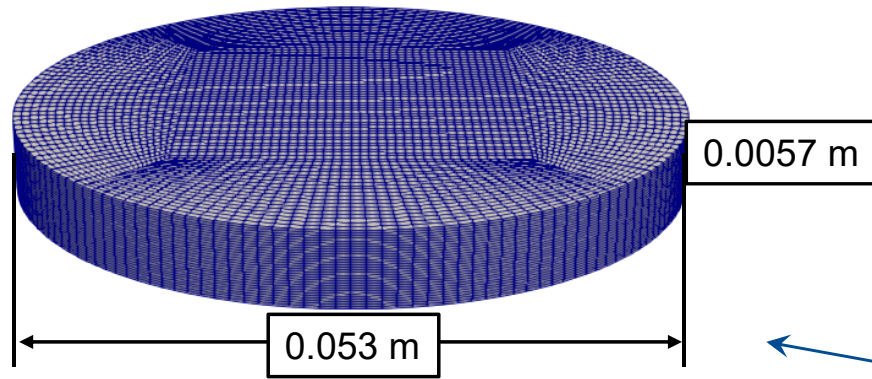
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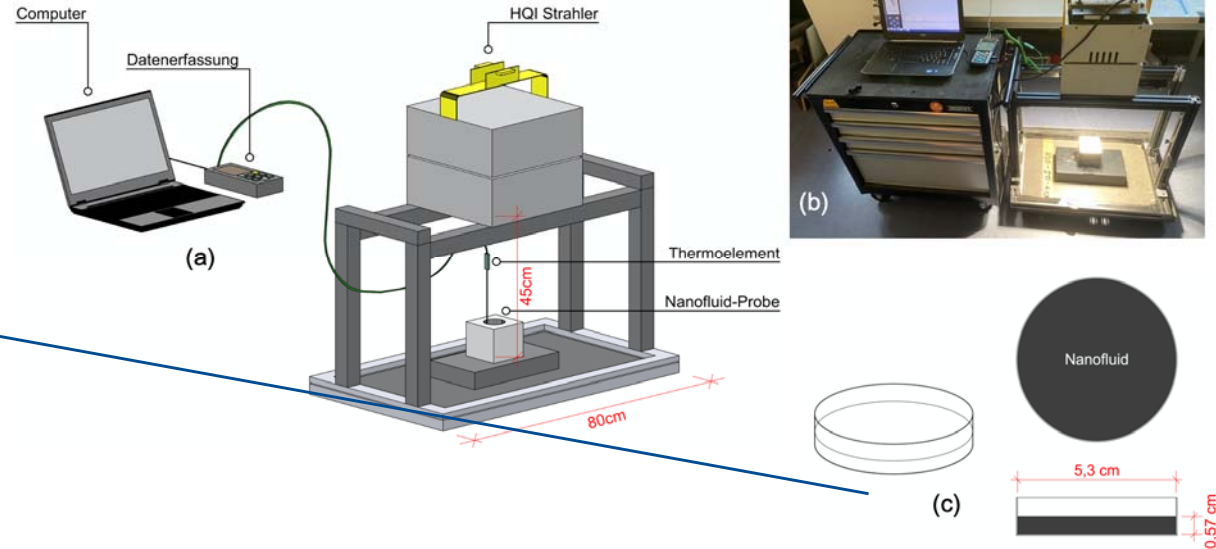
## Effect of flow velocity on the pressure drop



## Computational domain



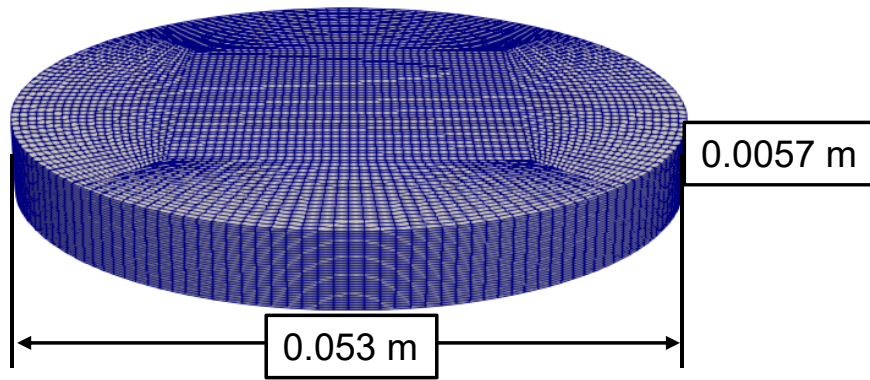
## Laboratory experiment set up



## Conditions and parameters:

- Laminar flow simulation
- Nanofluid
  - ❖ Base fluid: Water ( $1000 \text{ kg/m}^3$ )
  - ❖ 100 nm particles ( $2200 \text{ kg/m}^3$ )
- Solar radiation → From top patch

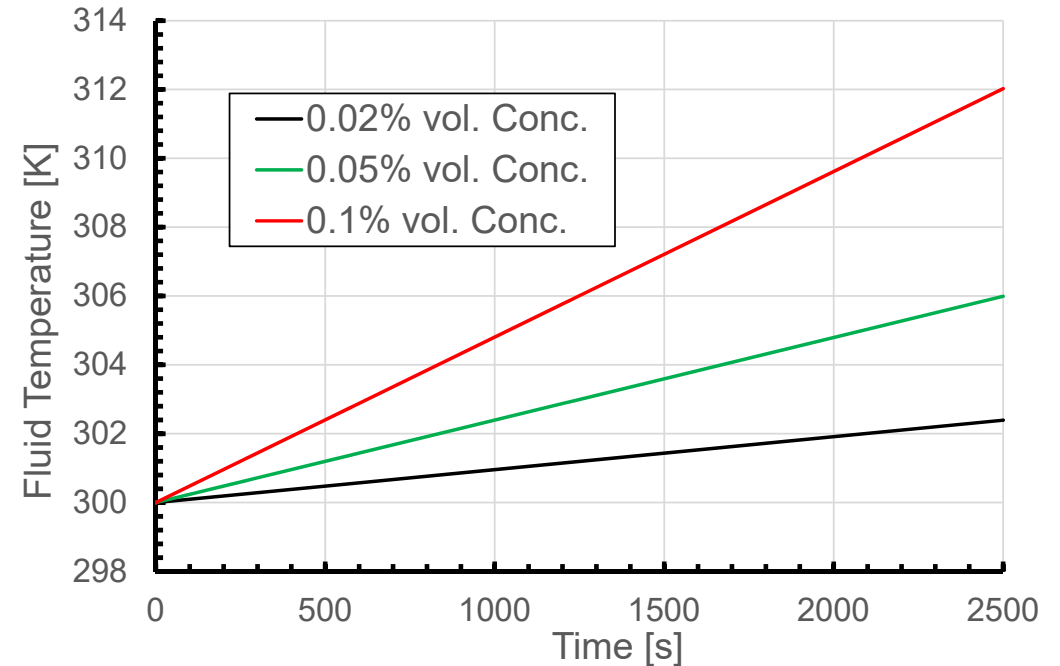
## Computational domain



## Conditions and parameters:

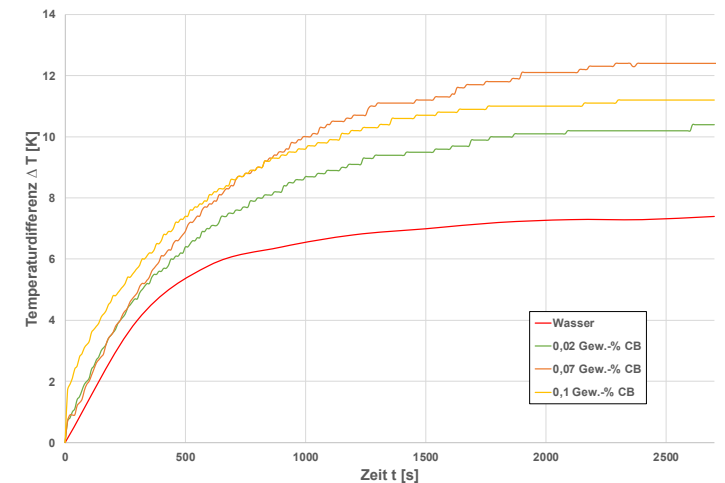
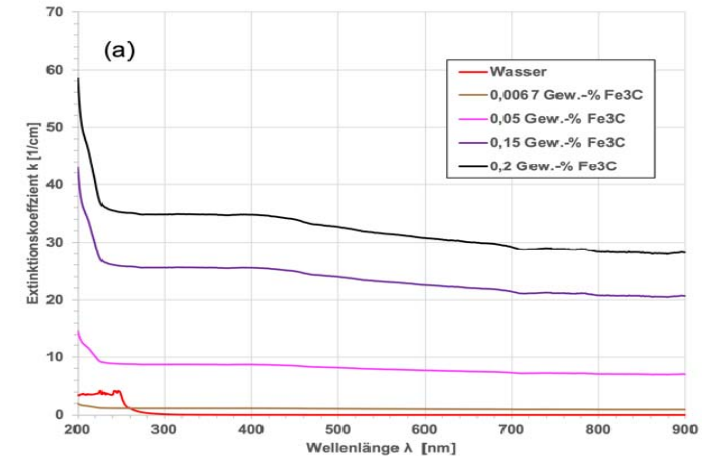
- Laminar flow simulation
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- Solar radiation → From top patch

## Energy conversion by nano-solar fluid



- Model is capable to simulate the absorption of solar radiation and its energy conversion to fluid.

- ✓ Modelling and implementation of fluid flow
  - Mass, momentum and temperature
  - Volume of fraction (particle phase)
    - Brownian diffusion & thermophoresis
- ✓ Modelling and implementation of direct solar energy absorption as function of concentration of particles
- Validate the model with experimental results (in progress)
  - ❖ Extract the coefficients from the experimental results
  - ❖ Simplify the solar absorption model if needed
- Parametric studies
  - ❖ Volume concentration of particles; Intensity of solar incidences
  - ❖ Optimization of the dispersion properties of solar absorber fluids for solar thermal collectors



*Experimentally measured results*

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**Thank you very much for your  
kind attention**

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## One phase model (Euler approach)

- Modelling and implementation of fluid flow
  - ✓○ Mass, momentum and temperature
  - ✓○ Volume of fraction (particle phase)
    - Brownian diffusion & thermophoresis
- Direct solar energy absorption as function of concentration of particles

## Two phase model (Euler-Lagrange approach)

- Modelling, implementation and coupling
  - ✓○ Fluid: mass, momentum and temperature
  - ✓○ Particles: various forces calculations and 2-ways coupling
- Implementation of direct energy absorption for individual particles

## Simulation with both approaches:

- Validate the results with experiments
- Parametric studies: volume concentration of particles; Intensity of solar incidences
- Optimization of the dispersion properties of solar absorber fluids for solar thermal collectors
- Investigation of effects of the increase in viscosity of nanofluid on the pumping power